

# Anonymous FUNCTIONS (AF)

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# Anonymous Functions

- Anonymous Functions (AF) give you a quick means of creating simple functions without having to create M-files each time.
- You can construct an anonymous function either in the Command Window or in the Editor.
- AF is a function that is not stored in a program file
- AF is associated with a variable whose data type is `function_handle` (also called *function pointer* in other languages)
- AF can accept inputs and return outputs, just as standard functions do.
- AF can contain only a **single executable statement**.

# Syntax

HIYM:  
How many  
results can  
AF handle?

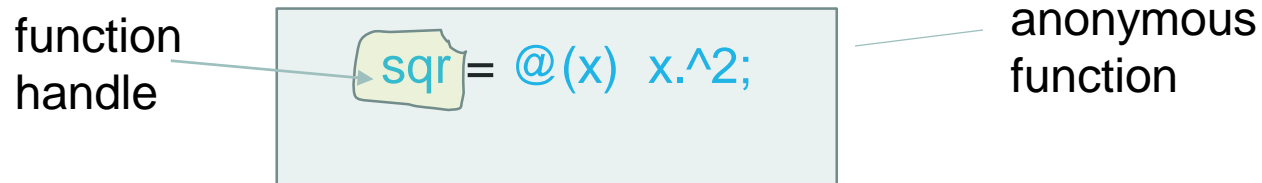
- The syntax for creating an anonymous function (AF) is

`fhandle = @(arglist) expr`

- `expr` represents the body of the function.
  - The code that performs the main task your function is to accomplish.
  - This consists of any **single**, valid MATLAB expression which may contain calls to other functions
- `arglist` is a comma-separated list of input arguments to be passed to the function. ( ) parentheses are required to place the `arglist`
- The above two components are similar to the body and input argument list components of any function.
- The `@` sign is the MATLAB operator that constructs a function handle.
- `fhandle` is the function handle name. Use valid MATLAB names
  - Creating a function handle for an anonymous function gives you a means of invoking the function.
  - It is also useful when you want to pass your anonymous function in a call to some other function.

# Example

Create an anonymous function whose objective is to find the square of an array:



- Variable **sqr** is the function handle.
- The **@** operator creates the handle, and the parentheses **()** immediately after the **@** operator serves to include the function input arguments.
- The statement **x.^2** is the function only statement and computes the square of the x-array.
- The results are stored in cells whose address are located through the function handle.

This anonymous function accepts a single input x array, and implicitly returns an output, which is an array the same size as x that contains the squared values.

# Comparison

## Anonymous Function

```
sqr = @(x) x.^2;
```

- no 'function' keyword
- no bla, bla, bla
- no termination 'end'
- no auxiliary variable 'R' to store result
- Written inline within the program
- sqr is a function handle and through it the anonymous function can be called.

## Standard Function

```
function [R]=sqr(x)  
% bla, bla, bla  
R=x.^2;  
end
```

- Written as independent program
- sqr is a standard function name

# Function Call

To find the square of a particular value (5) just pass the value to the function handle, just as you would pass an input argument to a standard function:

Example-1

```
>> sqr=@(x) x.^2           %definition
```

```
>> x=5;
```

```
>> a = sqr(x)
```

```
>> a =
```

25

Example-2

```
>> sqr=@(x) x.^2           %definition
```

```
>> a = sqr(5)
```

```
>> a =
```

25

# Compare Standard to Anonymous Functions

**AF Advantages:** their simplicity as they can be written in line with the programs without having to write other independent program.

**AF Disadvantages:** the function body must contain ONE single argument, therefore, works for simple tasks.

## Anonymous:

- Call the anonymous function
  - `y=sqr(x)`
- `sqr` is a function handle and through it the anonymous function can be called.

## Standard:

- Call the standard function
  - `y=sqr(x)`
- `sqr` is a standard function

Is there any difference in syntax in the function call?

# quad function

- Quadrature is a numerical method used to find the area under the graph of a function, that is, to compute a definite integral.

$$q = \int_a^b f(x) dx$$

- `q = quad(fun,a,b)` tries to approximate the integral of function `fun` from `a` to `b` to within an error of `1e-6` using recursive adaptive Simpson quadrature.
- `fun` is a function handle.
- Limits `a` and `b` must be finite. The function `y = fun(x)` should accept a vector argument `x` and return a vector result `y`, the integrand evaluated at each element of `x`.



# function handles as input of standard functions

Function handles can be passed in within the argument list to other standard functions.

The code shown here passes the `sqr` function handle to the MATLAB **quad** function to compute its integral from zero to one:

```
>> quad(sqr, 0, 1)
```

```
ans =
```

```
0.3333
```

$$I = \int_0^1 x^2 dx$$

- `quad` is a library function. *Quadrature* is a numerical method used to find the area under the graph of a function, that is, to compute a definite integral

# function handles as input of standard functions

The code shown here passes the sqr function handle to the MATLAB **quad** function to compute its integral from one to two:

- % Integrates  $x^2$  in the range  $x=[1,2]$ ;  $I = \int_1^2 x^2 dx$ 
  - `fun=@(x) x.^2;` % x must be a vector
  - `a=1; b=2;` %  $x=[a,b]$
  - `q = quad(fun,a,b)` % a and b are both arguments for fun
- % this is like `x=[a:h:b]`, the step 'h' is decide by quad

`quad` is a library function. *Quadrature* is a numerical method used to find the area under the graph of a function, that is, to compute a definite integral

# function handles within Anonymous Functions

- We want to compute  $fx=3x^2+2$  with and Anonymous Function. The computation of  $x^2$  will be computed also with another Anonymous Function.
- This is equivalent to an AF within another AF (nested anonymous functions)

- `sqr=@(x) x.^2;`      % Defined first
- `fx=@(x) 3.*sqr(x)+2;`      % Defined Second

Function handle  
or standard  
function name

- How to use it? After the two functions above were defined:
  - `x=[1,2,3];`
  - `y= fx(x);`

function handle

# Two-Input Example

There is not restrictions as the number of arguments in the Anonymous Functions. The following AF uses two input arguments, x and y. The example assumes that variables A and B are already defined:

- `sumAxBY = @(x, y) (A*x + B*y);`

To call this function, assigning 5 to x and 7 to y, for example, type:

- `>> sumAxBY(5, 7)`

or, more appropriate:

- `>>x=5; y=7;`
- `>>sumAxBY(x,y)`

# No Input Arguments

For anonymous functions that do not take any input arguments, construct the function using empty parentheses for the input argument list:

- `t = @() datestr(now);`

Also use empty parentheses when invoking (i.e., calling) the function:

- `t() <Enter>`
- `ans =`
- `04-Sep-2003 10:17:59`
- You must include the parentheses. If you type the function handle name with no parentheses, MATLAB just identifies the handle; it does not execute the related function:
- `t <Enter>`
- `t =`
- `@() datestr(now)`

# “By-passing” the one-line restriction of AF

- We want to write a function to find the minimum and maximum of a set of numbers and store the results in an array.
- Minimum and Maximum Example

```
min_and_max = @(x) [min(x), max(x)];
```

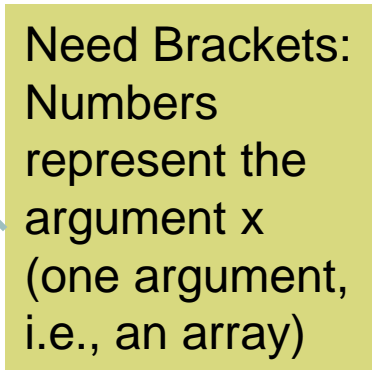
- Call:

```
min_and_max([3 4 1 6 2])
```

```
ans =
```

```
1 6
```

Need Brackets:  
Numbers  
represent the  
argument x  
(one argument,  
i.e., an array)



# “By-passing” the one-line restriction of AF

- We want to write a function to find the minimum and maximum of a set of numbers and store the results in an array.
- Minimum and Maximum Example

```
min_and_max = @(x) [min(x), max(x)];
```

- Alternative Call:

```
x=[3 4 1 6 2];
```

```
min_and_max(x)
```

```
ans =
```

```
1    6
```

# Example

Use the anonymous function in a vectorized program, e.g., Trapezoidal Integration of  $(x^2)$  in the range  $x=[0,2]$ :

```
% Trapezoidal Program
clc, clear
n=100; a=0; b=2.0; h=(b-a)/n;
f=@(x) x.^2; %creates the AF

x=[a:h:b];
c=ones(1,n+1); c(2:1:n)=2;
t=c.*f(x); % call the anonymous function
s=sum(t);

I=(1/2)*h*s;
% please add the output statement
```

- How many values in x-array?
- How many values after the call of f(x)?
- How many values in t-array?
- How many values in s?
- How many values in I?



# User Input a Function Handle

% How a USER can input a function handle?

% Integral Program

clc, clear, close

fprintf('Enter anonymous function whose integral you are searching for as \n');

f = input('e.g. f(x)=x.^2 you enter @(x)x.^2 \n');

## OUTPUT

Enter anonymous function whose root you are searching for as

e.g. If the function is  $f(x)=x.^3$  you enter  $@(x)x.^3$

$@(x)x.^2$  <Enter>

user input + enter

% After this input f has been defined as a function handler

# User Input a Function Handle, Example

Use the anonymous function in a vectorized program, e.g., Trapezoidal Integration of  $(x^2)$  in the range  $x=[0,2]$ :

BEFORE:

```
% Trapezoidal Program  
clc, clear  
n=100; a=0; b=2.0; h=(b-a)/n;  
f=@(x) x.^2; %creates the  
AF  
  
x=[a:h:b];  
c=ones(1,n+1); c(2:1:n)=2;  
t=c.*f(x); % call the  
anonymous function  
s=sum(t);
```

```
l=(1/2)*h*s;
```

```
% please add the output  
statement
```

AFTER

```
% Trapezoidal Program  
clc, clear  
n=100; a=0; b=2.0; h=(b-a)/n;  
fprintf('Enter function whose integral you are  
computing \n');  
  
f = input(' as AF, e.g. f(x)=x.^2 you enter  
@(x)x.^2 \n');  
x=[a:h:b];  
c=ones(1,n+1); c(2:1:n)=2;  
t=c.*f(x); % call the anonymous function  
s=sum(t);
```

```
l=(1/2)*h*s;
```

```
% please add the output statement
```

# Exercises:

1. Construct an Anonymous Function to convert degree Farhenheit to Celsius and use it within a program to compute a Table of degrees Celsius vs Farhenheit in the range  $F=[-50:10:200]$

$$C = (5/9) (F - 32)$$

2. Construct an Anonymous Function to compute the integrand **F** of the integral below in the range  $x=[1:0.1:2]$ .

$$I = \int_{a=1}^{b=2} \left| \frac{\cos(x)}{x^3} \right|^2 \left( \frac{\ln(x)}{3} \right)^{(1/2)} e^{-x} dx$$

3. Construct an Anonymous Function to compute the function below. Use the AF within a program to find  $F(x)$  in the range  $x=[0:0.1:3]$ . Print the results as a Table  $v$  vs  $F(x)$

$$f(x) = x^3 - x - 2$$

# Additional Exercises

- “Practice makes perfect”
  1. Identify the problems in the document “004-functions-exercises-v5.pdf” which can be solved with the anonymous function syntax.
  2. Solve them.

# REFERENCES

- [http://www.mathworks.com/help/matlab/matlab\\_prog/anonymous-functions.html](http://www.mathworks.com/help/matlab/matlab_prog/anonymous-functions.html)
- <http://blogs.mathworks.com/loren/2013/01/10/introduction-to-functional-programming-with-anonymous-functions-part-1/>